The Marketing of Hi-end or Low-end Versions of a Product: Which should be Launched First?

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This paper probes the launching sequence of two products with cannibalization possible. We show that product cannibalization is no object for the seller in deciding which product should be launched first. The key point of determining the introduction sequence for two cannibalistic durables is not the quality but the profitability of the products. Moorthy and Png's conclusion as well as Dhebar's opinion has shown to be inadequate in some circumstances.

1. Introduction

An interesting fact has been observed in the durable goods market: sellers always launch their hi-end model before the low-end version. The terms hi/low end model have been widely used in consumer behavior research (e.g. [1], [2], etc) to define two substitutable goods that are differentiate in prices and/or quality from each other. There are many examples that can be found in the consumer electronics market. For instances, Ericsson launched its cellular phone SH888 in June 1998, and 5 months later they released their model S868 which is similar to SH888 with no infrared transmission.

Reviewing earlier literature, Moorthy and Png questioned the aforementioned phenomenon. They believed that sellers adopt the sequential product introduction policy due to the cannibalization of the product, and sequential product introduction can alleviate cannibalization. They also state that if the seller launches the low-end model first, cannibalization will be aggravated [3]. Dhebar shown that the seller could introduce a high-quality version later under specific condition [4]. But we believe there are other reasons for sellers in deciding the launch sequence of their cannibalistic products.

Based on existing literature and the diffusion theory of information for the new product, we present a uniform solution of different introduction strategies that adopted by sellers in the durable goods market. Our result shows that the seller should launch the more profitable product in unit first, no matter it is a hi-end model or a low-end version, and cannibalization and product quality are not the issue for the seller in deciding which product should be launched first. Besides, our results are distribution free.

2. Model and assumptions

Observing the facts on the market, we find despite that leading sellers reveal the features, reference price and possible time to market of their new product before they launch it;

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they do not promise the exact launch time of his product to the market. Such announcement strategy benefits sellers by reasons. First, the seller gives customers a signal that his product is coming to the market to keep them from purchasing other competitive products that are available on the market already. Second, if the seller does not promise the launch time of the product, some customers would be forced to change their product choice and seller gains an extra profit by this. Our model is built to suit the above announcement strategy.

Consider a seller who intends to launch two durables, g_i and g_h , that are continuous innovations and they are differentiated from each other. g_k (the hi-end model) is equipped with more features than g_i (the low-end model). The seller reveals the information of the products that consist of reference prices (p_i and p_h , $p_i \le p_h$) and possible features of both products and possible time to market (time x) to customers at time 0. The seller estimates that the demand of the products is stationary before a future time T, and he assumes that the unit costs of g_i and g_h is c_i , c_h ($c_i \le c_h$) respectively. The seller wants to decide the launch sequence of his products to maximize his expected discount revenue in his planning horizon.

On the demand side, there are rational customers. We assume a potential customer buys a unit of the product only if the product satisfies his demand. That is, we neglect the influences of other factors, such as channel or promotion, on the customer's purchasing decision to focus our research on the interaction between the product introduction sequence of the seller and the product choice of customers.

As the seller reveals the product information to the market at time 0, the information begins to diffuse through the market as equation (1) expressed, where N is the market potential of the products at time 0, and n(t) denotes the ratio of the customers who are aware of the product information by time t with respect to N, n'(t) denotes the change rate of n(t) at time (t).

$$n'(t) = (a_1 + a_2 n(t))(1 - n(t)), \quad n(0) = 0$$
 (1)

 a_1 and a_2 are positive constants. see [5].

3. Purchasing policy of a rational customer

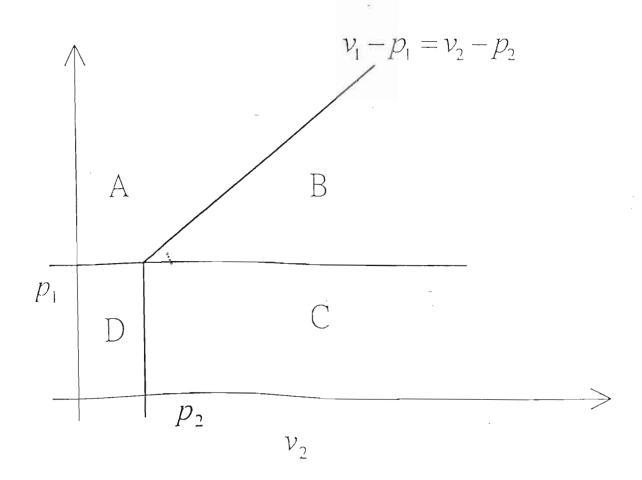
For general description of the seller's introduction policy, we define time 0 as the time when the seller launches his first product (denoted as g_1), and x denotes the time the second product (g_2) is launched, where $x \in [0,T]$

Once a potential customer learns the product information, he generates a reservation price pair, (v_1, v_2) , for both products jointly for they are substitutable. The customer will make his purchase decision based on the reservation price pair of the products. We are going to illustrate the different purchase behaviors of customers by the following categories that are showed in figure 1. Suppose a customer learns the information of products at time $t, t \in [0,T]$

Type A. Suppose his $(v_1, v_2) \in A$. g_1 is more worthier to purchase to the customer for his $(v_1 - p_1) > (v_2 - p_2)$ and $(v_1 - p_1) \ge 0$, which implies that the customer will purchase g₁ as soon as he learns the product information.

Type B. Suppose his $(v_1, v_2) \in B$. Since $(v_1 - p_1) \ge 0$ and $(v_2 - p_2) \ge 0$, it does pay to purchase either one of the products for him. Furthermore, g, is more attractive to him for $(v_1 - p_1) < (v_2 - p_2)$. If the customer knows the information when g_2 has not been available on the market ($t \in [0,x]$), decide to wait for purchasing g_2 is a risky decision for him since he does not know when will g, be launched or even worse whether g, will be released. What with the risk-aversion of a rational customer under the uncertainty surrounding the launch of g2, and what with the satisfaction in g_1 , the customer will purchase g_1 immediately. If the customer knows the information when both the products are available on the market (te [x,T]), he will purchase g_2 .

Figure 1. The classification of customers by their reservation prices per pair of products.



- Type C. Suppose his $(v_1, v_2) \in C$. g_2 is attractive to him and g_1 is not worth purchasing for him since $(v_2 - p_2) > 0 > (v_1 - p_1)$. If he knows the product information before the seller launch g_2 ($t \in [0,x]$), the only choice to satisfy his demand is to wait for purchasing g_2 until it is been launched at time x. If he knows the information when both the products are available on the market ($t \in [x,T]$), he will purchase g, immediately.
- Type D. Suppose his $(v_1, v_2) \in D$. Both products do not satisfy his demand for $(v_1 - p_1) < 0$ and $(v_2 - p_2) < 0$; the customer will leave the market, no matter when he learns the product information.

4. The best introduction strategy for the seller

Let $f(v_1, v_2)$ be the joint probability density function of customers' (v_1, v_2) pair distributed in N, where $0 \le v_1, v_2 < \infty$, and r denotes the seller's tolerance to postpone the profit return. Let π_i be the unit profit of g_i , where $\pi_i = p_i - c_i$, i = 1,2. For given p_1 , p_2 and x_i we define $N_i(t,x)$ as the number of the potential customer of g_i , i = 1,2, who learns the product information at time t.

$$N_{1}(t,x) = \begin{cases} N \cdot n'(t) \cdot \iint_{4 \cup R} f(v_{1}, v_{2}) dv_{2} dv_{1} & 0 \le t < x \\ N \cdot n'(t) \cdot \iint_{4} f(v_{1}, v_{2}) dv_{2} dv_{1} & x \le t \le T \end{cases}$$
 (2)

$$N_{1}(t,x) = \begin{cases} N \cdot n'(t) \cdot \iint_{4 \cup B} f(v_{1}, v_{2}) dv_{2} dv_{1} & 0 \le t < x \\ N \cdot n'(t) \cdot \iint_{4} f(v_{1}, v_{2}) dv_{2} dv_{1} & x \le t \le T \end{cases}$$

$$N_{2}(t,x) = \begin{cases} N \cdot n'(t) \cdot \iint_{4 \cup C} f(v_{1}, v_{2}) dv_{2} dv_{1} & 0 \le t < x \text{ (purchase } g_{2} \text{ at } x) - 0 \\ N \cdot n'(t) \cdot \iint_{B \cup C} f(v_{1}, v_{2}) dv_{2} dv_{1} & x \le t \le T \text{ (purchase } g_{2} \text{ at } t) \end{cases}$$
(3)

the integral regions of (2) and (3) are defined as:

$$\begin{split} A &= A(p_1, p_2) = \{ (v_1, v_2) \mid p_1 \leq v_1 < \infty, \ 0 \leq v_2 < v_1 - p_1 + p_2 \} \\ B &= B(p_1, p_2) = \{ (v_1, v_2) \mid p_1 \leq v_1 < v_2 - p_2 + p_1, \ p_2 \leq v_2 < \infty \} \\ C &= C(p_1, p_2) = \{ (v_1, v_2) \mid 0 \leq v_1 < p_1, \ p_2 \leq v_2 < \infty \} \end{split}$$

Model (4) is established for the seller to maximize the expected discount revenue of his products in [0,T].

$$\max_{x} J(x) = N \cdot \{ \int_{0}^{x} [e^{-rt} \pi_{1} n'(t) \iint_{4 \cup B} f] dt + \int_{x}^{T} [e^{-rt} \pi_{1} n'(t) \iint_{4} f] dt + e^{-rx} \int_{0}^{x} [\pi_{2} n'(t) \iint_{C} f] dt + \int_{x}^{T} [e^{-rt} \pi_{2} n'(t) \iint_{B \cup C} f] dt \}$$

$$(4)$$

Since J(x) is a continuous function in the closed interval [0,T], there must exist an x^* that solves (4). From (5), the differential of (4), we find (6).

$$J(x) = N \cdot [(\pi_1 - \pi_2) e^{-rx} n'(x)] \int_{B} f - \pi_2 e^{-rx} r n(x) \int_{C} f]$$
 (5)

$$J'(x) < 0 \text{ if } \pi_1 < \pi_2$$
 (6)

(6) implies $x^* = 0$ since J(x) is a strictly decreasing function in [0,T] if $\pi_1 \le \pi_2$. That is, if the product (g₁) that the seller intends to launch first is the less profitable product in unit, the seller must launch the other product (g_2) with it simultaneously. So the seller adopts a simultaneous introduction. On the other hand, if the seller adopts a sequential introduction, he should launch the more profitable in unit product first. From the above discussion, we draw our conclusion by Table 1.

1. Conclusions

This study presents a consistent solution to explain ways that sellers introduce their new products in the durable goods market. We had shown that in determining the sequence of introducing two cannibalistic products, sellers should always launch their more profitable product in unit first. The reason for the strategy that systematically adopted by sellers that launch their hi-end model first is the higher added value their hiend model contributes instead of the higher quality the model equipped.

We have an opposite conclusion with that of Moorthy and Png's result. First, they suppose that sellers should launch the hi-end model first to alleviate cannibalization. Product cannibalization will influence the time to market of their products [6], but the alleviation of cannibalization is not the decisive consideration for sellers who launch their hi-end model first. Second, they assert that launching the low-end model first is infeasible for the policy will decrease the seller's profit. According to our result, Sellers launch the low-end model first will-increase theirs expected revenue if the low-end model brings them a higher profit when compare to the hi-end. Dhebar stated that if the quality of the later released model is not so high as that the customers perceive the product to be improving in present-value terms, sellers might launch low-end first. We emphasizes that it is not the quality but the unit profit of the products that dominates the seller in determining the introducing sequence of his product.

Suppose g_1 and g_2 are identical product, our main result $\pi_1 \ge \pi_2$. shows that $p_1 \ge p_2$ since $c_1 = c_2$. So the product price declines over time, the situation can be easily found in consumer electronics market [5]. Besides, if the seller want to keep his product price fixed $(p_1 = p_2)$ to signal his brand reputation, he should add some new features to the product $(c_1 < c_2)$. Customer can expect a product becoming cheaper and better if he is patient enough.

Table 1. The best new product introduction strategy of the seller.

| Seller's strategy | | Condition |
|---------------------------|---|---------------------|
| Simultaneous introduction | | $\pi_l = \pi_h$ |
| Sequential introduction | Launch Hi-end first $(g_1 \leftarrow g_n)$ | $\pi_{l} < \pi_{h}$ |
| | Launch Low-end first $(g_1 \leftarrow g_L)$ | $\pi_l > \pi_h$ |

We provided useful solution for leading sellers, but there are some limitations of our result. First, we focus on the seller who concerns his short-term revenue of the product line. Sellers may launch the less profitable product first to increase the market share of his brand for long-term revenue consideration. Second, due to the more severe competition or the shorter interval between two successive generations of product, etc., the planning horizon of our research topic is getting shorter. Our assumptions will be valid to describe circumstances for a short planning horizon.

For further researches, interaction in the seller's product line as well as cannibalization between the seller's product and its competitors will be constructed later. The product prices are given in this paper for prices are controlled by market mechanism sometimes, they may be the decision variables of the seller in finding a best product introduction strategy.

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